

Flood Inundation Modelling of Flash Floods in Steep River Basins and Catchments

Dr Reza Ahmadian, Prof. Roger A. Falconer and
Davor Kvočka

Hydro-environmental Research Centre,
Cardiff School of Engineering

AhmadianR@cf.ac.uk



@RezaHRC



Flash Flood Inundation Modelling

- Determine what type of flood inundation models should be used for predicting flood depths, velocities and inundation extent for flash flood events
- Three different 2D model configurations:
 - a configuration that solved the full 2D shallow water equations (i.e. the MAC test case)
 - a configuration based on a simplified version of the 2D shallow water equations (i.e. the SI test case)
 - a configuration that included shock-capturing ability (i.e. the TVD test case)

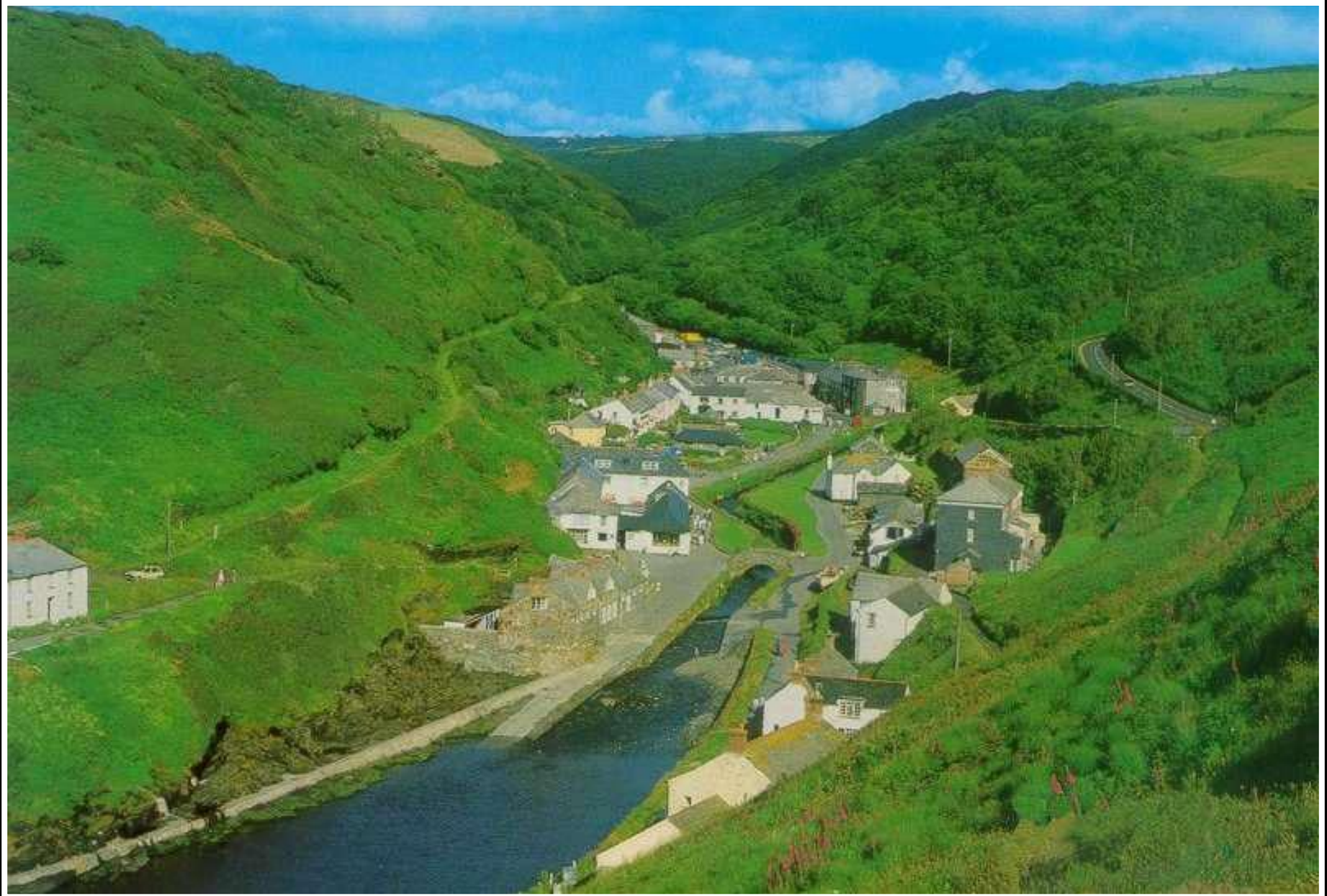
Stability Issues

$$\frac{\partial \mathbf{X}}{\partial t} + \frac{\partial \mathbf{F}}{\partial x} + \frac{\partial \mathbf{G}}{\partial y} = \mathbf{S} + \mathbf{T}$$

$$\mathbf{X} = \begin{bmatrix} \eta \\ q_x \\ q_y \end{bmatrix}, \mathbf{F} = \begin{bmatrix} \frac{\beta q_x^2}{h+\eta} + \frac{g\eta^2}{2} + gh\eta \\ \frac{\beta q_x q_y}{h+\eta} \end{bmatrix}, \mathbf{G} = \begin{bmatrix} \frac{q_y}{h+\eta} \\ \frac{\beta q_x q_y}{h+\eta} + \frac{g\eta^2}{2} + gh\eta \end{bmatrix}, \mathbf{S} = \begin{bmatrix} 0 \\ gq_x \frac{\partial h}{\partial x} - \frac{gq_x \sqrt{q_x^2 + q_y^2}}{(h+\eta)^2 C^2} \\ 0 \end{bmatrix}, \mathbf{T} = \begin{bmatrix} 0 \\ 0 \\ gq_y \frac{\partial h}{\partial y} - \frac{gq_y \sqrt{q_x^2 + q_y^2}}{(h+\eta)^2 C^2} \end{bmatrix}$$

- Modification to stabilise the MAC solution method was based on the reduction of the value of the momentum correction factor β :
- The momentum correction factor β was reduced to:
 - 0.50 when $0.50 \leq Fr < 0.75$
 - 0.25 when $0.75 \leq Fr < 1.0$
 - 0 when $1.0 \leq Fr$
- Accuracy is expected to be compromised.

Boscastle



Boscastle 2004 Flash Flood

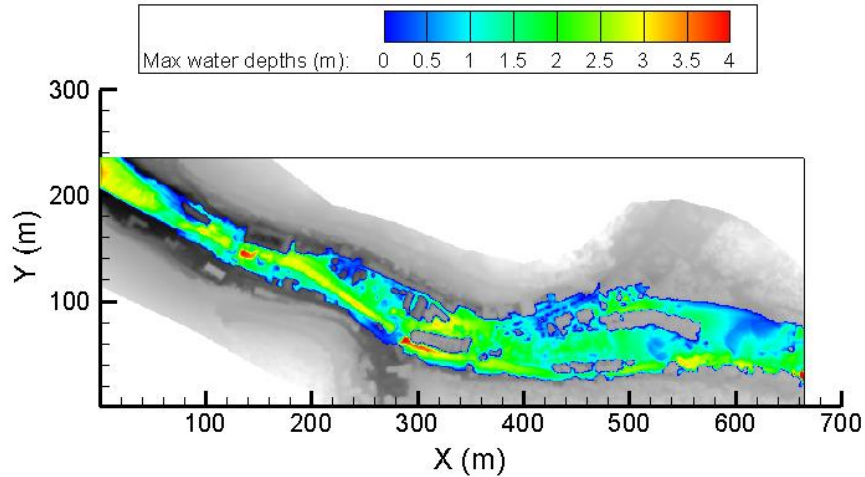


Boscastle: Case Study Domain

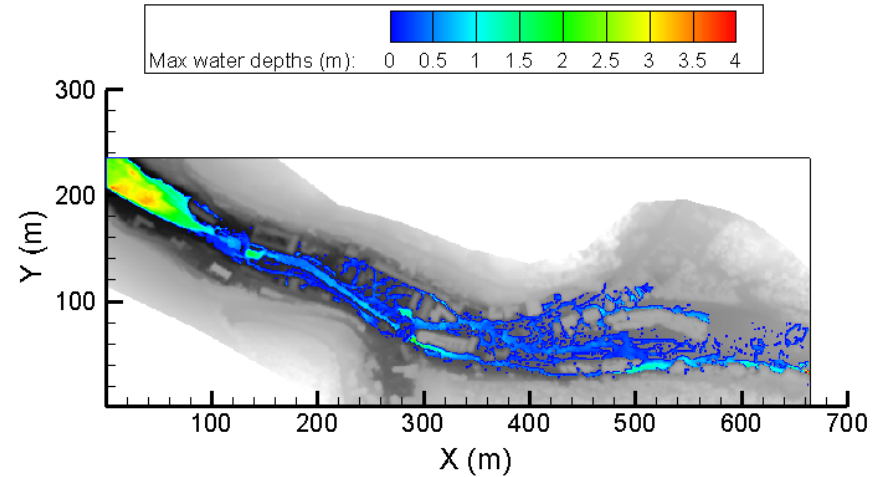


Boscastle: Model Predictions

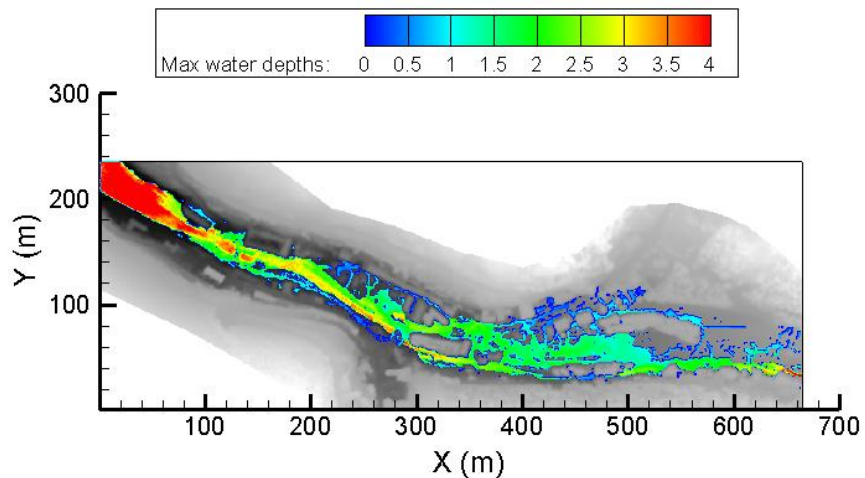
TVD case



MAC case

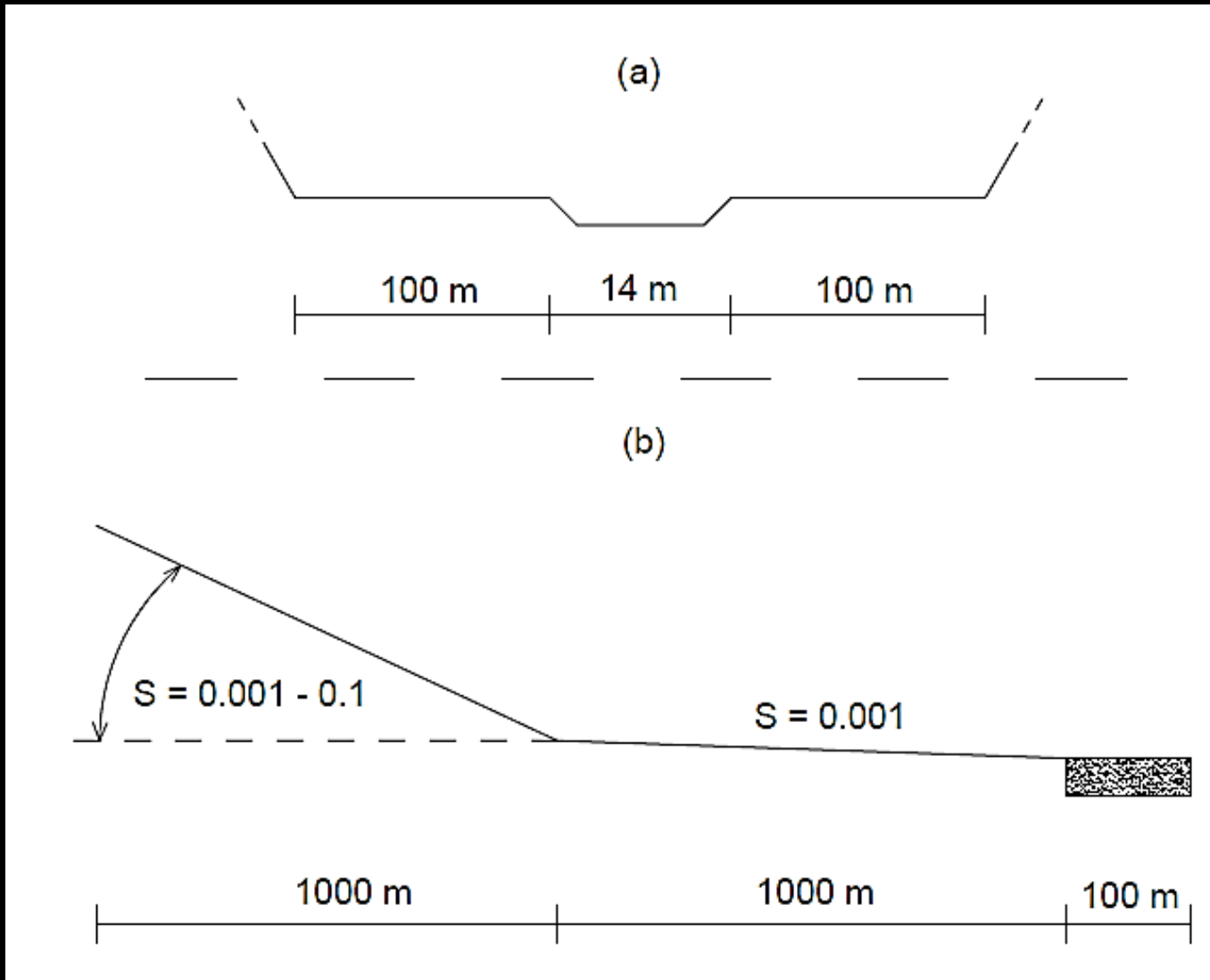


SI case

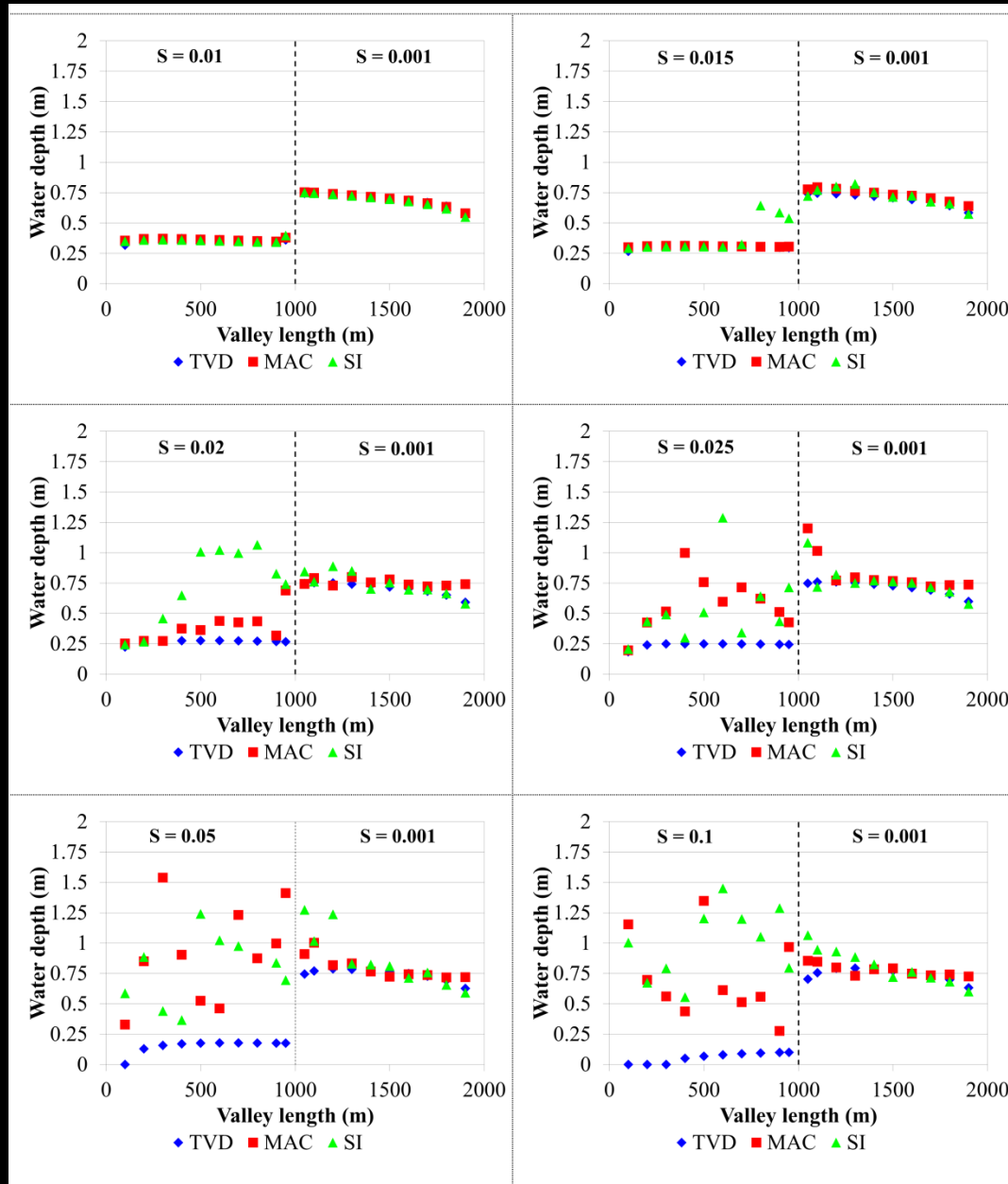


Model configuration	Nash – Sutcliff model efficiency
TVD case	0.9863
MAC case	0.8530
SI case	0.8684

Idealised Valley Test: Set Up



Idealised Valley Test: Results



Borth



Borth: Study Domain



Picture courtesy of Google Earth

2012 River Leri Flash Flooding



BORTH: MONITORING POINTS

Tal-y-bont



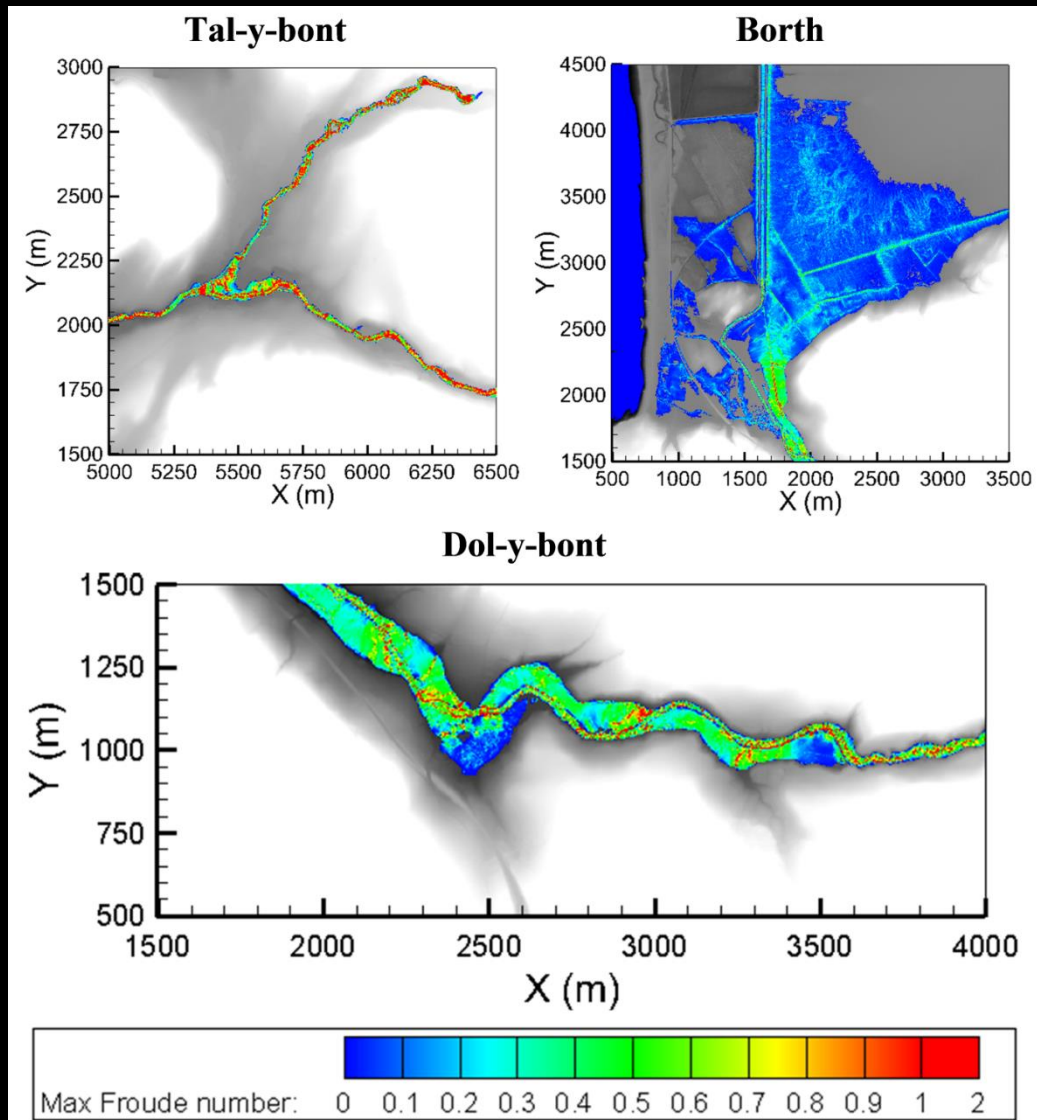
Borth



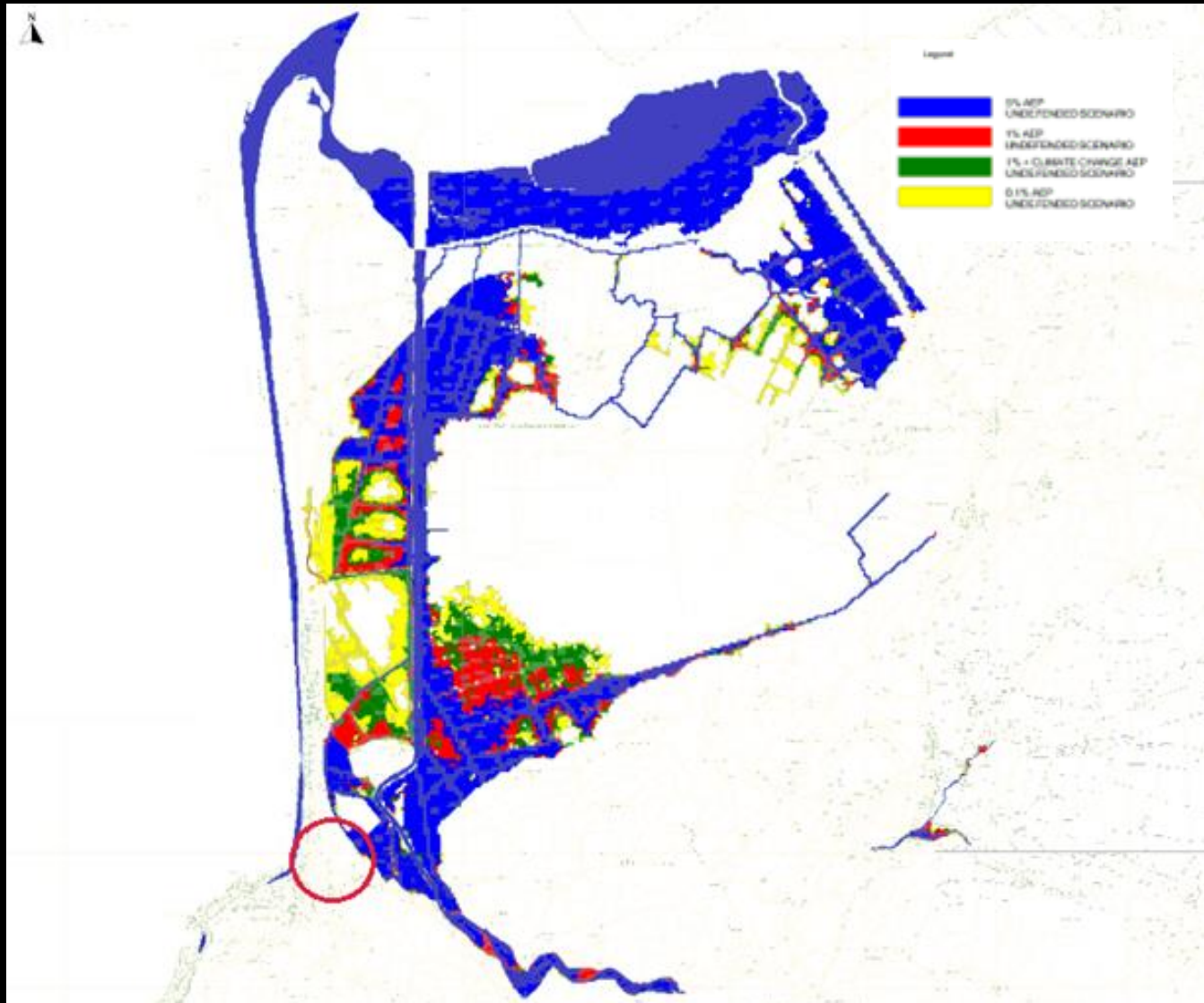
Dol-y-bont

Pictures courtesy of Google Earth

Max Froude Number



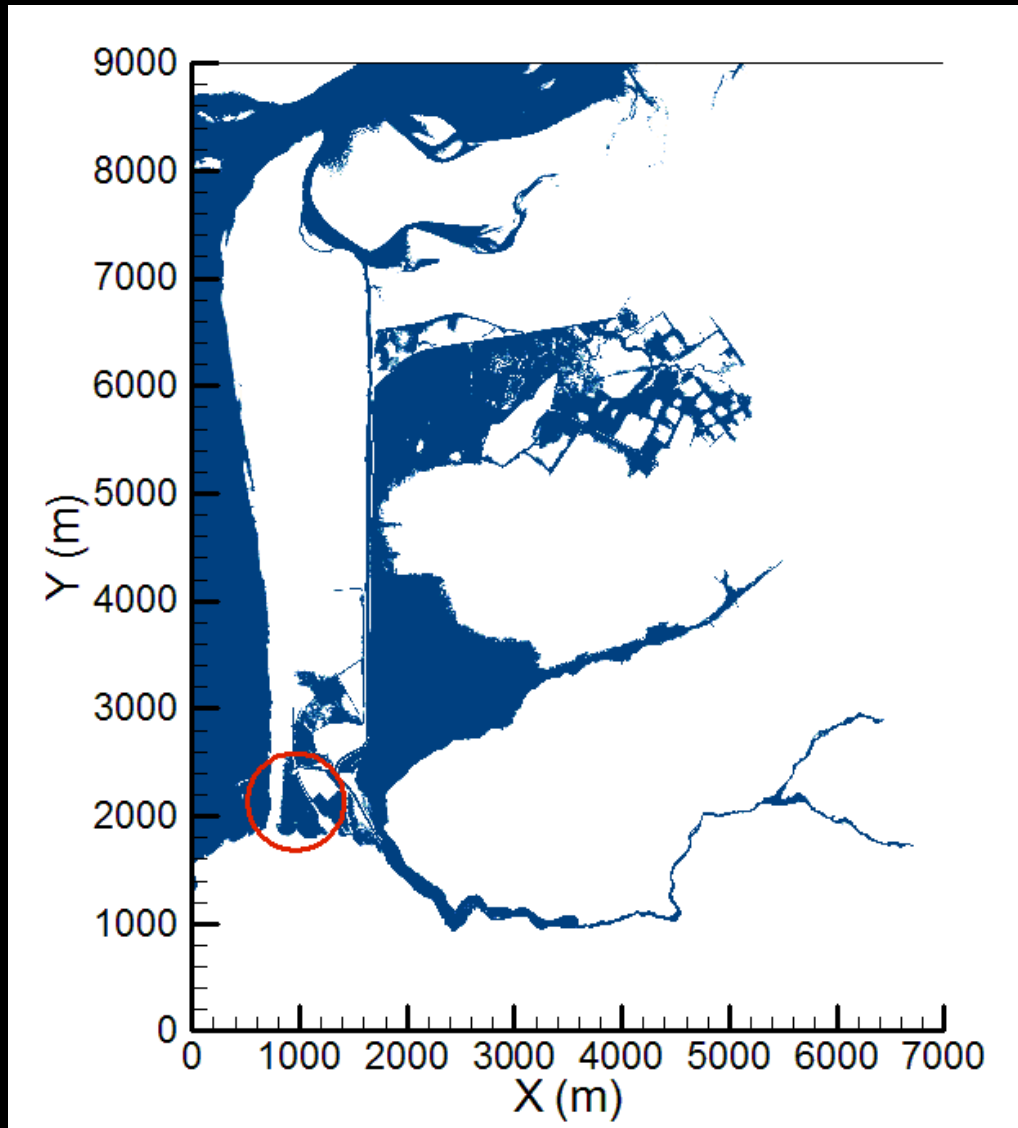
Max Flood extent for a 1:1000 year flood



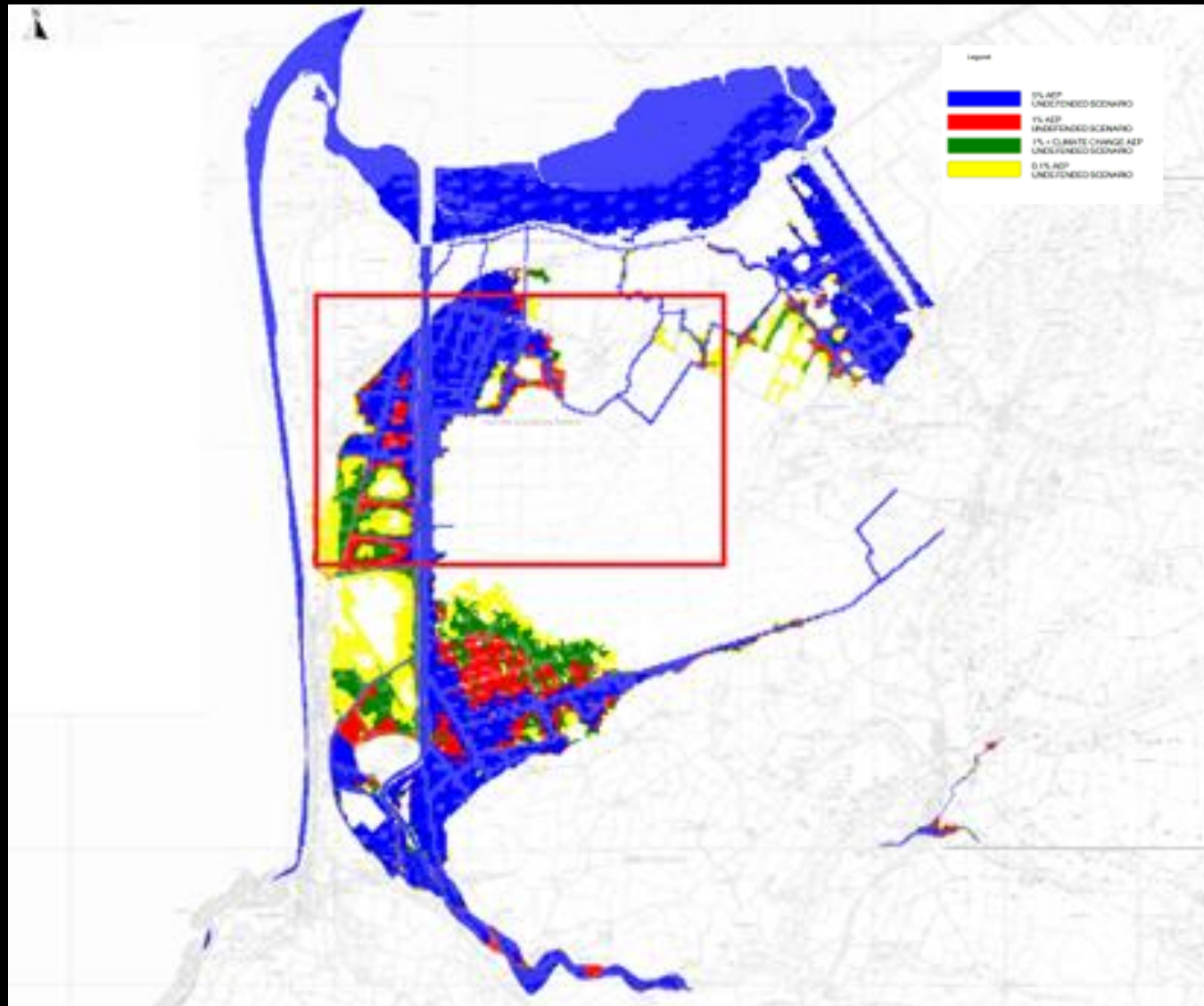
Max Flood extent for a 1:1000 year flood



Max Flood extent for a 1:1000 year flood



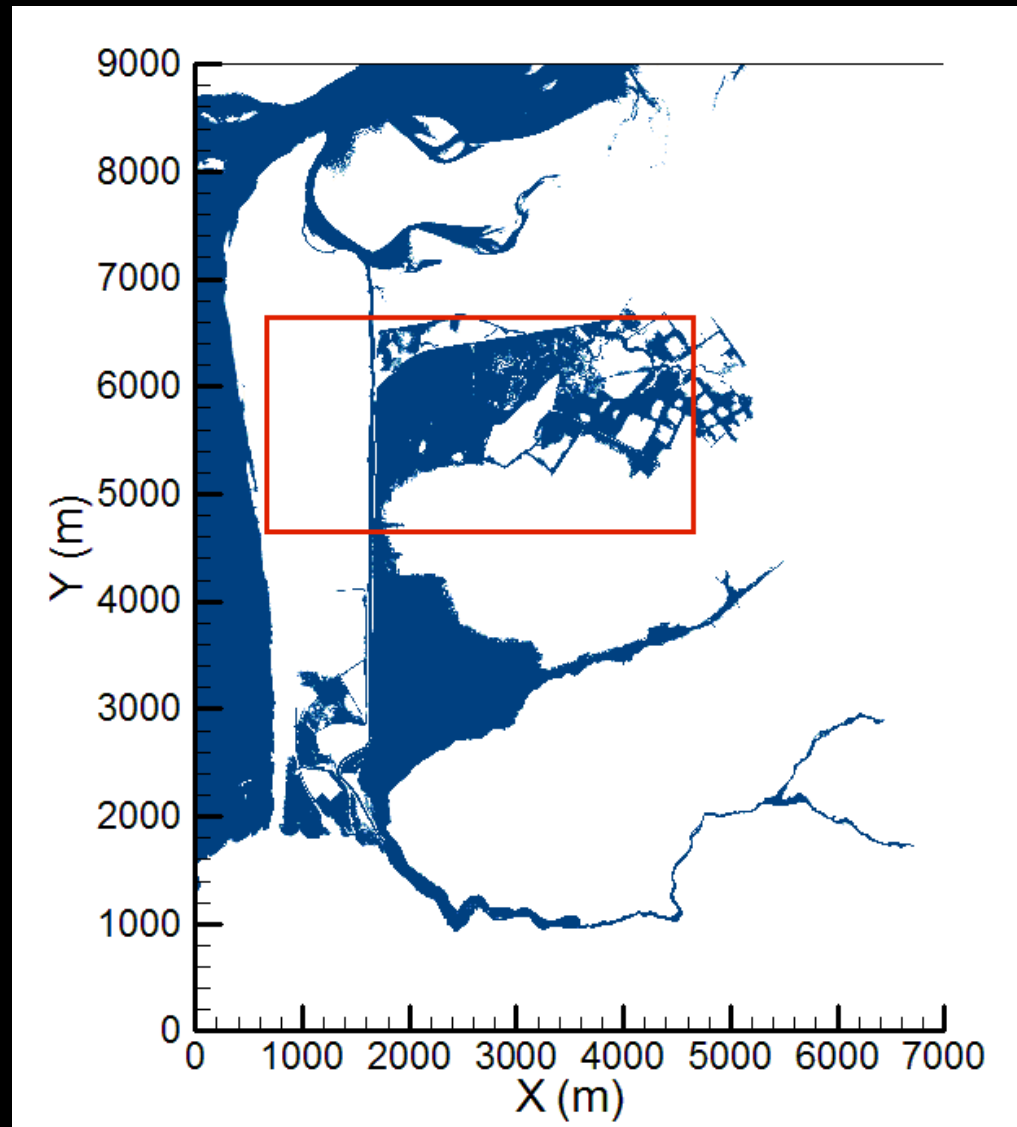
Max Flood extent for a 1:1000 year flood



Max Flood extent for a 1:1000 year flood



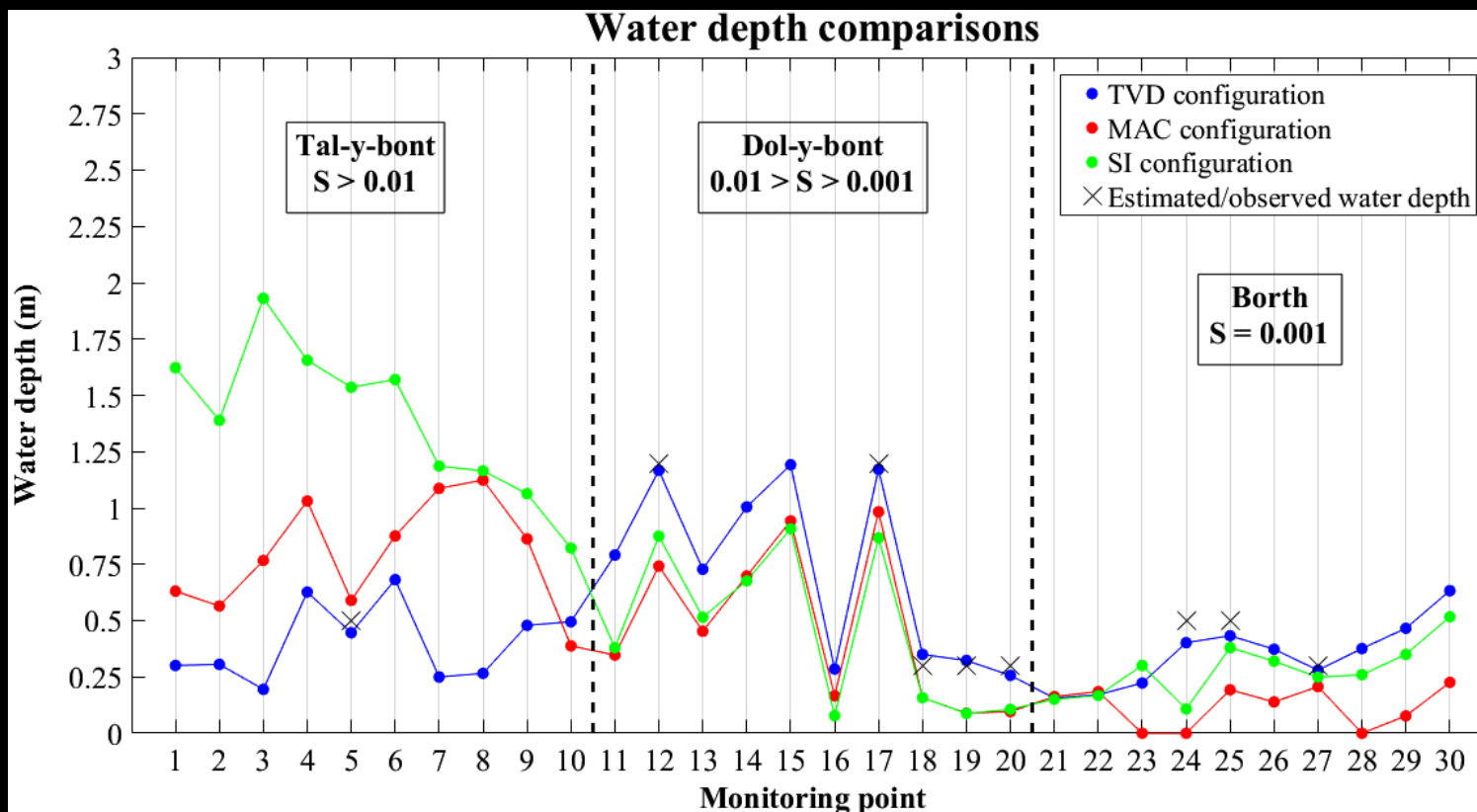
Max Flood extent for a 1:1000 year flood



Monitoring Point Observations

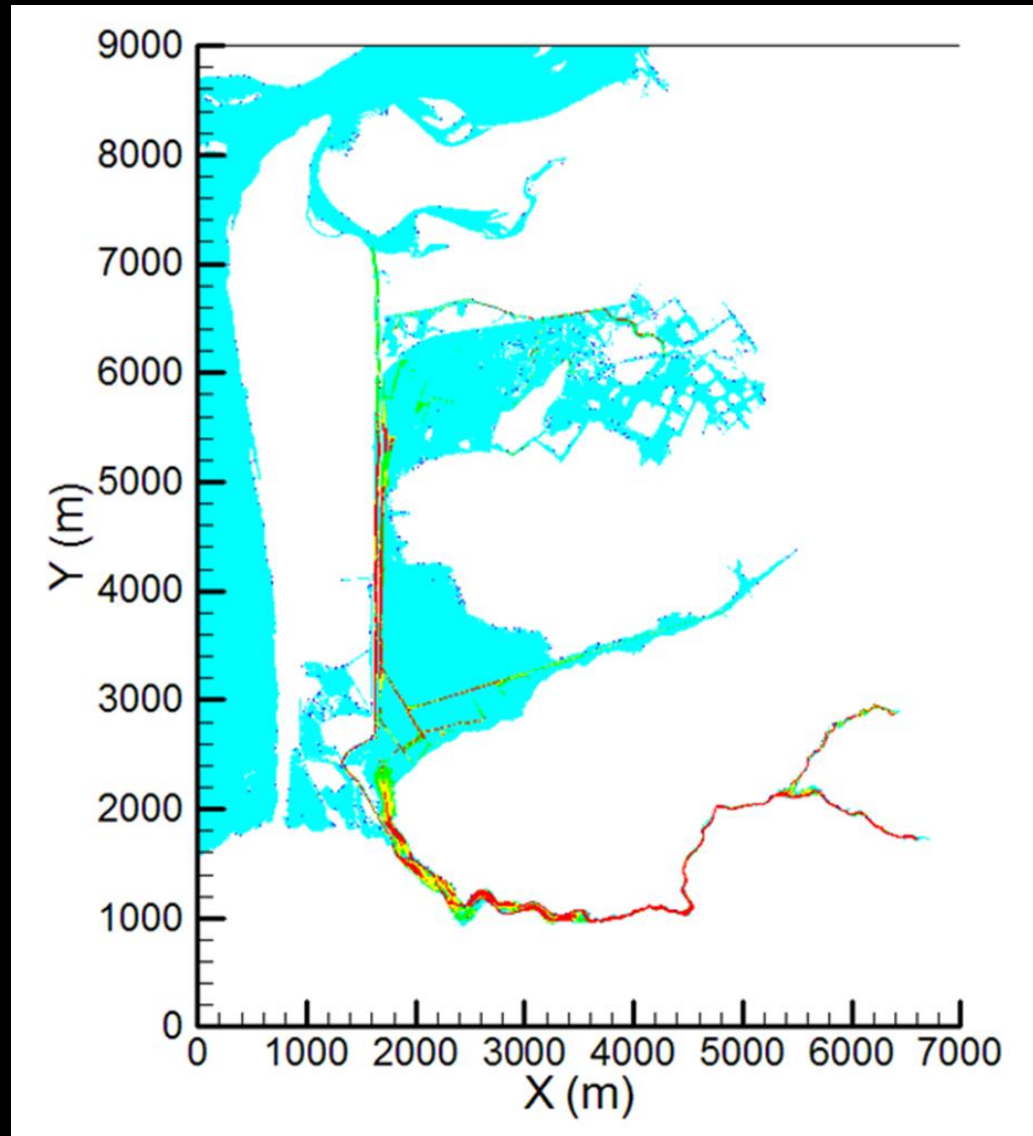
Monitoring point	Observed/estimated depth	Source
5	0.5 m	Picture (BBC, 2012b, WalesOnline, 2014)
12	1.2 m	Eye-witness account (BBC, 2012b)
17	1.2 m	Eye-witness account (BBC, 2012a)
18	0.3 m	Picture (Retrieved from http://www.alananna.co.uk)
19	0.3 m	Picture (Retrieved from http://www.alananna.co.uk)
20	0.3 m	Picture (Retrieved from http://www.alananna.co.uk)
24	0.5 m	Picture (ITV, 2012)
25	0.5 m	Picture (WalesOnline, 2012)
27	0.3 m	Picture (Retrieved from http://www.alananna.co.uk)

BORTH: WATER DEPTH COMPARISONS



	Average difference in water depth prediction	
Bed slope	MAC vs TVD	SI vs TVD
$S > 0.01$	40.9 cm	99.0 cm
$0.01 > S > 0.001$	25.9 cm	26.2 cm
$S \approx 0.001$	20.8 cm	6.6 cm

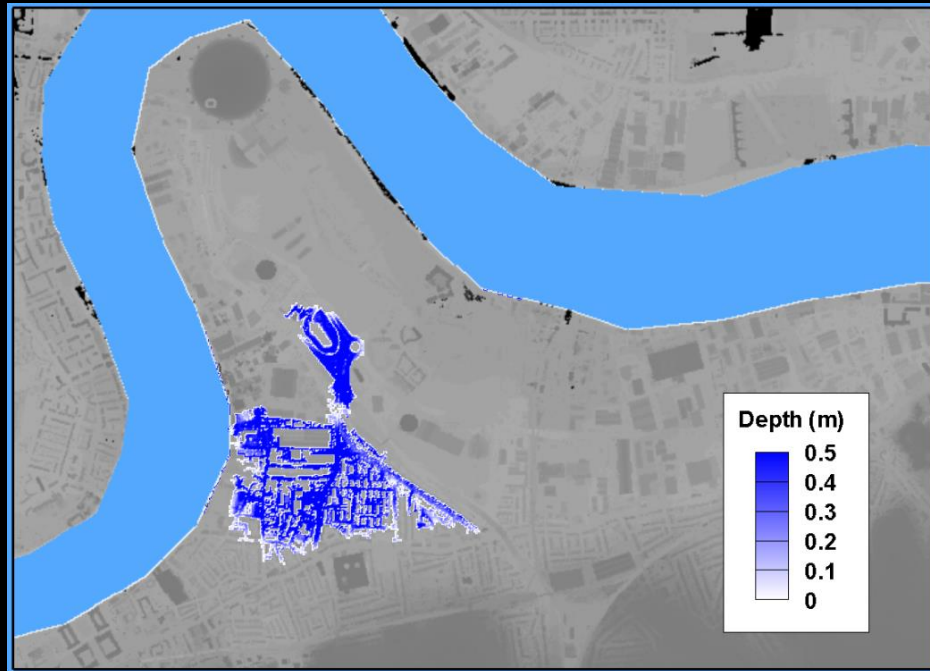
HRC Flood Hazard for a 1:1000 year flood



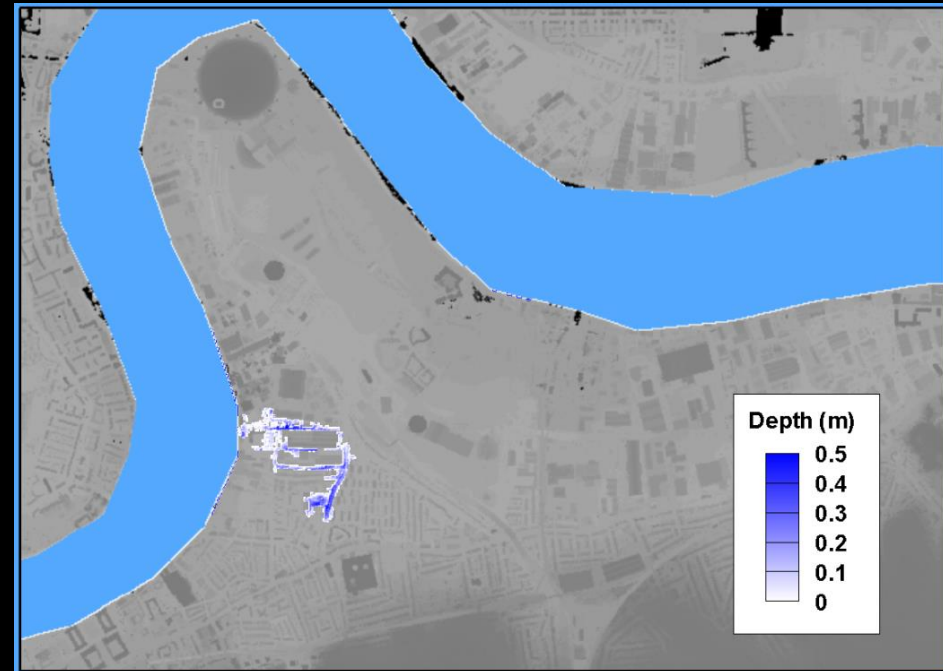
1D/2D Linked Models Domain and Monitoring Points



Differences in inundation extent of 1D/2D Linked Models



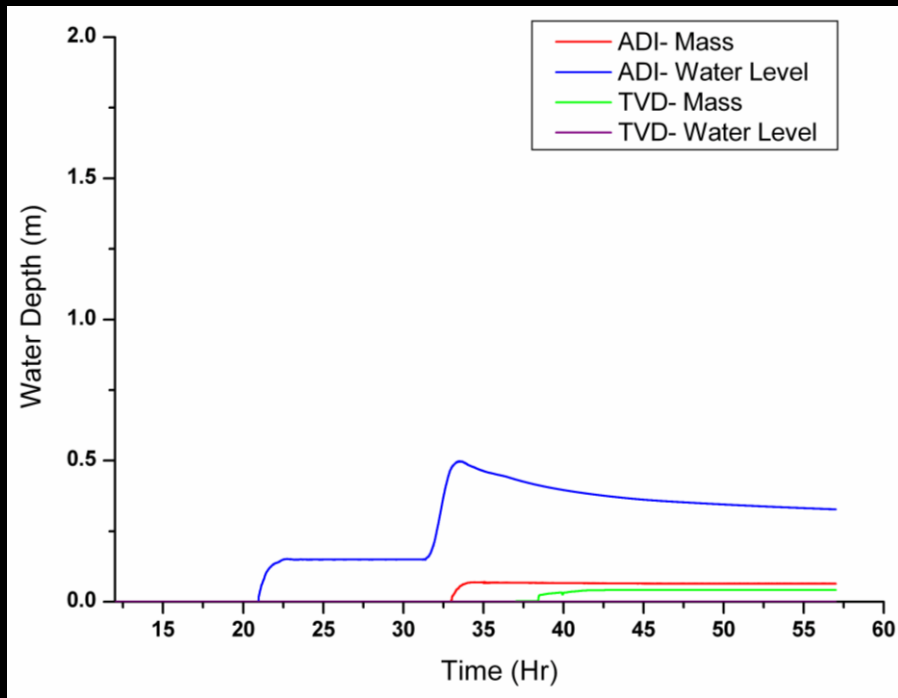
TVD



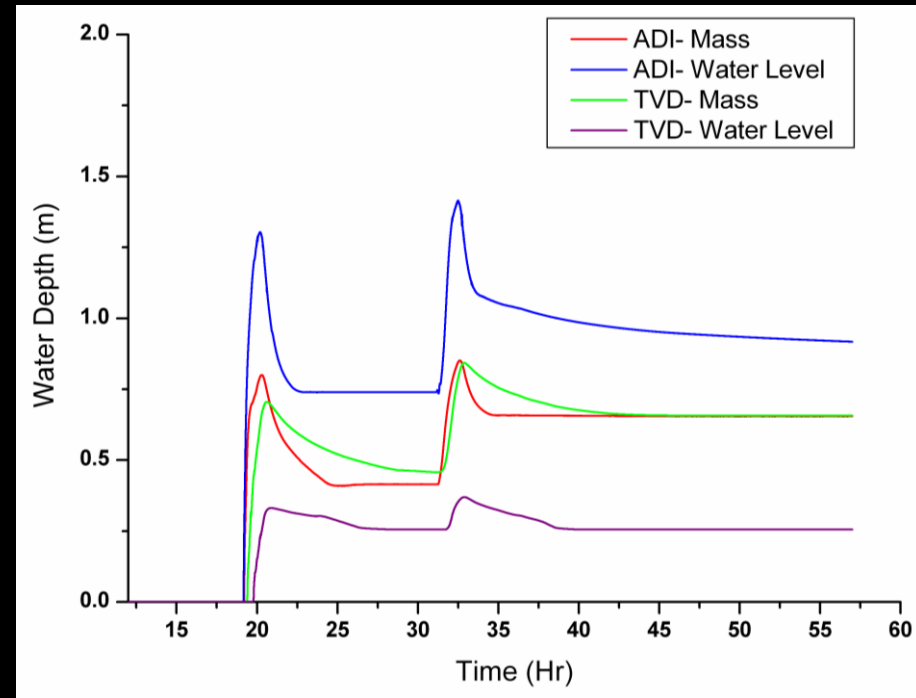
ADI

Dynamically linked model using water level links

Differences in inundation levels of 1D/2D Linked Models



Point 6



Point 3

Summary

- In torrential or flashy river basin or catchment (i.e. $S > 1\%$), flood inundation modelling should be predicted using shock-capturing (or similar) models, since these models:
 - Enable the computation of any shock waves as part of the numerical solution and thus prevent the emergence of spurious numerical oscillations
 - Ensure the stability of the computational process for all types of flow regimes
 - Preserve the peak flood wave throughout the entire simulation process

谢谢

AhmadianR@cf.ac.uk,

 @RezaHRC